The Higgs Boson

Intrinsic Width

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SM @ LHC, 9 April 2014 Madrid

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Combined limit ~ peak, exp resolution / SM width 2-3 GeV/4 MeV

 $r = \frac{\Gamma_{\rm H}}{\Gamma_{\rm SM}^{\rm SM}} \Leftrightarrow$



 $d\sigma$ off $= \mu r d\sigma$ peak

 Combined observed (expected) values

assume $\mu = 1 \rightsquigarrow$ measure *r*

r = Γ/Γ_{SM} < 4.2 (8.5)
 @ 95% CL

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$$r = \Gamma / \Gamma_{SM} = 0.3^{+1.5}_{-0.3}$$

▶ Г < 17.4 (35.3) MeV @ 95% CL





A short History of beyond ZWA (don't try fixing something that is already broken in the first place)

① There is an enhanced Higgs tail Kauer - Passarino (arXiv:1206.4803): away from the narrow peak the propagator and the off-shell H width behave like ➡

$$\Delta_{\mathrm{H}} \approx rac{1}{\left(\mathcal{M}_{\mathrm{VV}}^{2} - \mu_{\mathrm{H}}^{2}
ight)^{2}}, \qquad \qquad \mathbf{\ell} rac{\Gamma_{\mathrm{H} \to \mathrm{VV}}\left(\mathcal{M}_{\mathrm{VV}}
ight)}{\mathcal{M}_{\mathrm{VV}}} \sim G_{\mathrm{F}} \mathcal{M}_{\mathrm{VV}}^{2}$$

- ② Introduce the notion of ∞-degenerate solutions for the Higgs couplings to SM particles Dixon - Li (arXiv:1305.3854), Caola -Melnikov(arXiv:1307.4935)
 - ③ Observe that the enhanced tail is obviously γ_H-independent and that this could be exploited to constrain the Higgs width model-independently
 - ③ Use a matrix element method (e.g. MELA) to construct a kinematic discriminant to sharpen the constraint Campbell, Ellis and Williams (arXiv:1311.3589)

Off-shellness forever



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Scenario Improving

● On-shell ∞-degeneracy: allow for a scaling of the Higgs couplings and of the total Higgs width defined by

$$\sigma_{i \to \mathrm{H} \to f} = (\sigma \cdot \mathrm{BR}) = \frac{\sigma_i^{\mathsf{prod}} \Gamma_f}{\gamma_{\mathrm{H}}} \qquad \sigma_{i \to \mathrm{H} \to f} \propto \frac{g_i^2 g_f^2}{\gamma_{\mathrm{H}}} \qquad g_{i,f} = \xi \, g_{i,f}^{\mathrm{SM}} \gamma_{\mathrm{H}} = \xi^4 \, \gamma_{\mathrm{H}}^{\mathrm{SM}}$$

Remark Looking for $\boldsymbol{\xi}$ -dependent effects in the highly off-shell region is an approach that raises sharp questions on the nature of the underlying extension of the SM; furthermore it does not take into account variations in the SM background

The signal strength in 41, relative to the expectation for the SM Higgs boson, is measured to be

$$0.91^{+0.30}_{-0.24}$$
 CMS $1.43^{+0.40}_{-0.35}$ ATLAS

Scenario Improving

② Use κ-language, allowing for a consistent HEFT interpretation, Passarino:2012cb. Neglecting loop-induced vertices, we have

$$\frac{\Gamma_{gg}}{\Gamma_{gg}^{SM}(\mu_{\rm H})} = \frac{\kappa_{\rm t}^2 \cdot \Gamma_{gg}^{tt}(\mu_{\rm H}) + \kappa_{\rm b}^2 \cdot \Gamma_{gg}^{bb}(\mu_{\rm H}) + \kappa_{\rm t} \kappa_{\rm b} \cdot \Gamma_{gg}^{tb}(\mu_{\rm H})}{\Gamma_{gg}^{tt}(\mu_{\rm H}) + \Gamma_{gg}^{bb}(\mu_{\rm H}) + \Gamma_{gg}^{tb}(\mu_{\rm H})}$$
$$\sigma_{i \to {\rm H} \to f} = \frac{\kappa_i^2 \kappa_f^2}{\kappa_{\rm H}^2} \sigma_{i \to {\rm H} \to f}^{SM}$$

Remark The measure of off-shell effects can be interpreted as a constraint on $\gamma_{\rm H}$ only when we scale couplings and total width to keep $\sigma_{\rm peak}$ untouched, although its value is known with 15–20% accuracy.

Scenario Improving

The GENERALIZATION IS AN ∞^2 -degeneracy, $\kappa_i \kappa_f = \kappa_H$.

- ③ On the whole, we have a constraint in the multidimensional κ -space, since $\kappa_g^2 = \kappa_g^2(\kappa_t, \kappa_b)$ and $\kappa_H^2 = \kappa_H^2(\kappa_j, \forall j)$.
- Only on the assumption of degeneracy one can prove that off-shell effects measure κ_H; a combination of on-shell effects (measuring κ_j κ_f/κ_H) and off-shell effects (measuring κ_j κ_f) gives information on κ_H without prejudices.
- Denoting by S the signal and by I the interference and assuming that I_{peak} is negligible we have

$$\frac{S_{\text{off}}}{S_{\text{peak}}} \kappa_{\text{H}}^2 + \frac{I_{\text{off}}}{S_{\text{peak}}} \frac{\kappa_{\text{H}}}{x_{\textit{if}}}, \qquad \qquad x_{\textit{if}} = \frac{\kappa_{\textit{i}}\kappa_{\textit{f}}}{\kappa_{\text{H}}}$$

for the normalized S + I off-shell cross section.

➤ The background, e.g. gg → 41, is also changed by the inclusion of *d* = 6 operators and one cannot claim that New Physics is modifying only the signal

The higher-order correction in gluon-gluon fusion have shown a huge K-factor $\mathbf{K} = \sigma_{\text{prod}}^{\text{NNLO}} / \sigma_{\text{prod}}^{\text{LO}}$, $\sigma_{\text{prod}} = \sigma_{gg \rightarrow H}$.



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• The zero-knowledge scenario



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The soft-knowledge scenario: in a nutshell, one can

$$\sigma = \sigma^{\text{LO}} + \sigma^{\text{LO}} \frac{\alpha_{\text{s}}}{2\pi} [\text{universal} + \text{process dependent} + \text{reg}]$$

- where universal (the "+" distribution) gives the bulk of the result
- while *process dependent* (the δ function) is known up to two loops for the signal but not for the background
- and reg is the regular part.

A possible strategy (Bonvini et al. arXiv:1304.3053) would be to use for background the same *process dependent* coefficients and allow for their variation within some ad hoc factor. * The total systematic error is dominated by theoretical uncertainties, therefore one *should never accept theoretical predictions that cannot provide uncertainty in a systematic way* (i.e. providing an algorithm).

$$\begin{array}{lll} \mathrm{D}_{-}\left(\lambda,\,M_{4l}\right) &=& \lambda \mathrm{D}_{\mathrm{M}}\left(M_{4l}\right) + (1-\lambda) \, \mathrm{D}_{\mathrm{I}}\left(M_{4l}\right) \\ \mathrm{D}_{+}\left(\lambda,\,M_{4l}\right) &=& \lambda \mathrm{D}_{\mathrm{I}}\left(M_{4l}\right) + (1-\lambda) \, \mathrm{D}_{\mathrm{A}}\left(M_{4l}\right) \end{array}$$

■ $1 - ε \le λ \le 1$, has a flat distribution

I[®] We will have $D_- < D_I < D_+$ and a value for λ close to one (e.g. **0.9**) gives less weight to the additive option, highly disfavored by the eikonal approximation.



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THU summary

- ① PDF + α_s ; these have a Gaussian distribution;
- ② ✓ μ_R, μ_F (renormalization and factorization QCD scales) variations; they are the standard substitute for missing higher order uncertainty (MHOU); MHOU are better treated in a Bayesian context with a flat prior;
- ③ uncertainty on $\gamma_{\rm H}$ due to missing higher orders, negligible for a light Higgs;
- ④ ✓ uncertainty for $\Gamma_{H\to F}(M_f)$ due to missing higher orders (mostly EW), especially for high values of the Higgs virtuality M_f (i.e. the invariant mass in $pp \to H \to f + X$);
- ⑤ ✓ uncertainty due to missing higher orders (mostly QCD) for the background

[from arXiv:1403.7191]

FUTURE (Moriod EW 2014)





FIG. 2: Effective new physics scales Λ_c extracted from the Higgs coupling measurements collected in Table I. 7 for the loop-induced couplings to gluons and photons contain only the contribution of the contact terms, as of the loop terms are adrendy dissemangled at the level of the input values Δ_c . (The ordering of the columns for right corresponds to the logend from up to down.)



CONCLUSIONS

- The successful search for the on-shell Higgs-like boson did put little emphasis on the potential of the off-shell events. Wind of change is blowing (CMS-PAS-HIG-14-002), thanks Chiara.
- The associated THU is (almost) dominating the total systematic error and *precision Higgs physics* requires control of both systematics, not only the experimental one
- Very often THU is nothing more than educated guesswork but a workable falsehood is more useful than a complex incomprehensible truth. In other words, *closeness to the whole truth is in part a matter of degree of informativeness of a proposition*

What can be said at all can be said clearly and whereof one cannot speak thereof one must be silent Ludwig Wittgenstein



Thanks for your attention

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