Scuola di Dottorato in Scienza e Alta Tecnologia –
 Indirizzo Fisica e Astrofisica –

– XXIII Ph. D. Cycle –



INFN

The Alignment of the CMS Tracker and its Implications for the First Collisions Data

<u>*M. Musich*</u> Università di Torino/INFN Torino

Supervisor: Dott. E. Migliore

03/02/10

Outline

Introduction

♦ The LHC, the CMS Experiment and its Silicon Tracker

Alignment

Basic Concepts
 Track Based Aligment

My past activity:

Tracker Alignment with real data (cosmic muons / collision tracks)
2008-2009 The CMS Global Runs Experience
2009-2010 The First LHC Collisions

My Future Activity:

Impact of tracker alignment in early physics analyis: $J/\psi \rightarrow \mu\mu$

03/02/10

Introduction

Marco Musich - 2nd Year Ph. D. Seminar

03/02/10

The LHC



- Higgs search and Electroweak symmetry breaking: crucial tests for Standard Model
- But many other interesting processes have large cross-sections!!

03/02/10

The Compact Muon Solenoid

- The CMS Experiment is one of the 4 experiments at the p-p accelerator LHC
 Multi-purpose experiment (search for Higgs(es)) Supersymmetry new physics at
- Multi-purpose experiment (search for Higgs(es), Supersymmetry, *new physics at the high energy frontier*
- A system to identify muons and measure their momentum with high efficiency up to the TeV scale
- Uses a powerful (B=3.8T, 2T in return yoke) solenoidal field to provide enough bending power to track high momentum particles in a relatively compact layout



CMS Coordinates



The CMS Silicon Tracker



- The all-silicon design of the tracker is expected to provide precise and efficient measurement of the charged particle trajectories in the LHC collisions:
- 1-2% resolution for 100 GeV tracks in the central region: $\Delta pt/pt \sim 1-2\%$ ($|\eta|<1.6$)
- tracking efficiency: ε~99% (μ), ε~90% (hadrons)
- an efficient tagging of b-jets.

*Double Sided (2 modules mounted back-to-back tilted by 100 mrad)

Why Tracker Alignment is needed?



What is alignment?

♦ The mounting precision of modules is finite:



- Track reconstruction initially assumes a perfectly aligned detector
- Usage of an incorrect assumption on the tracking geometry in the reconstruction leads to incorrect estimate of track parameters $\mathbf{q} = (\varphi, \theta, p_T, d_{xy}, d_z)$
- less than 20% deterioration of the track parameters for LHC experiments (few μm, μrad) is mandatory for physics analysis
- The alignment procedure is aimed to provide the correct geometry to track reconstuction determining the position of modules in situ

Tracker Alignment

Goal: nail down to a few µm the positions of all 16,588 (x 6 dof) silicon modules of CMS Tracker.



♦ Alignment strategy in CMS: use all available data sources:

Surveys (optical/mechanical/...)

Laser Alignment

Track Based Alignment

From older experiments: ultimate precision is achieved using track based alignment, i.e. particles crossing in situ the Tracker volume refitted



 $-q_i = track parameters$

- $r_{ii}(p,q_i)$ = residual: difference between measured position m_{ii}

and position extrapolated from fit $f_{ij}(p,q_i)$ (depending on p and q_i)

Aligment algorithms attempt to minimize this χ^2 function and therefore track residuals

f_{ii}(p,q)

residual r_{ii}(p,q_i)

Track Based Alignment in CMS

- The χ^2 minimization problem can be solved in context of the linear least squares, involving inversion of large matrices:
 - In case of N modules with six degrees of freedom (three rotation and three translations)solving the χ² equation implies solving a system of equations by inversion of a huge 6N x 6N matrix
- ♦ In CMS there are O(16k) modules ⇒ 16k x 6 = O(100k) unknown parameters to be determined!
- ♦ This highly challenging task is faced with two main approaches:

In the *global method* (*"MillePede II"*), the *6N × 6N* matrix is inverted. Minimization is achieved by **fitting** track and alignment parameters simultaneously **in one step.** In the *local method, "Hits and Impact Points HIP"* N 6 × 6 matrices are solved. Minimization is attained by **iterating several times** the procedure

Alignment algorithms return O(100k) numbers which must be validated!

- need to monitor simultaneously the geometry, tracking performance, physics implications, ...
- ♦ to every of these parameters one needs to assign an error!

Activity during 2008-2009





03/02/10

My activity during 2008-2009

- During the last two years (2008-2009) the CMS collaboration conducted a campaign of long data taking exercises:
- The most important was the Cosmic Run At Four Tesla (CRAFT) in which, with the solenoidal field at its nominal B=3.8 T intensity value, several million of cosmic ray triggers were collected and analyzed
- In this context my main activity in the Tracker Alignment effort was devoted to:
 - Optimize and run the alignment validation tools
 - Estimate the remaining misalignment
 - ♦ Determine the *Alignment Position Errors*

Tracker Alignment at the Cosmic Run at Four Tesla (CRAFT)

- First attempt of full CMS Tracker alignment with data during the CMS global run
- Tracker operating with all other CMS subdetectors
- 270 M of cosmics collected with magnetic field switched on (only ~2% in Strip Tracker, ~1‰ in Pixel Tracker)
- ◆ 300 Hz cosmic muon Level 1 trigger rate (6 Hz in the Tracker)



Alignment Strategy

Apply a set of cuts to select good tracks for alignment

| Track Quality cuts | Value |
|---|----------|
| momentum p | > 4GeV/c |
| number of hits | >7 |
| number of 2D hits (on Pixel or DS modules) | >1 |
| Chi2/ndof of track fit | <6.0 |
| Hit Quality cuts | Value |
| S/N (Strip modules) | >12 |
| probabiliy pxl hit matching template u (v) dir. | >0.001 |
| Track angle relative to the local uv plane | <20 deg. |
| Square pull of hit residual | <15 |



Run a multi-step approach for both algorithms:

- ◆ Large structure movements (coherent v alignment of Single Sided modules)
- Alignment of the two sides of the 2D strip *modules (units) u,w,γ*
- ♦ module-level alignment of strip and pixel modules

♦ Final strategy:

♦ Get the **best** from **both** algorithm, combining the two:

I. run the *global method* \rightarrow solves global correlations efficiently

II. run the *local method* \rightarrow solves locally to match track model in all degrees of freedom

Alignment Validation

♦ Alignment performance is validated on the data themselves at three different levels:

- low level validation: checking the effective improvement of the post-alignment residuals (track χ^2 and track-to-hit residuals)
- high level validation: comparing segments of split cosmic ray tracks, and with the analysis of the residuals in overlapping regions of the detector.
- **checks of the geometry** of CMS Tracker resulting from track-based alignment
- Validation is performed after every alignment cycle

During the CRAFT data analysis I have been responsible for the low-level validation and I have provided the results included in the paper*

- Same sample is used for the alignment
 - (i.e. $\chi^{\scriptscriptstyle 2}$ minization) and validation
 - statistics is critical evaluating the performance for all subdetectors (*only 1.5% of tracker in PXE with cosmic rays*)

see bibliography



16/37

03/02/10

Track-based Validation (Track Residuals)



Estimation of residual misalignment

Residual width dominated by stochastic effects, like multiple Coulomb scattering or the intrinsic resolution of the hits

$$\sigma_{r_{ij}(p,q)} = \sigma_{intr} \bigoplus_{Intrinsic} \bigoplus_{\textbf{Misalignment}} \sigma_{mis} \bigoplus_{Multiple Scattering} \sigma_{MS}$$

Goal: disentangle random effects from systematic ones produced by remaining misalignment

♦ at *zero-th order* the alignment recovers the true position of modules along the measurement coordinate \Rightarrow check that the residuals are "centered" after the alignment



Residual misalignment (the DMR)

The mean of residuals is not **a robust** estimator of the position of the "center" of the residuals distribution *because of outliers in real data* \Rightarrow I have tested several others

The method:

- Take MC of the detector in ideal conditions and *apply a random gaussian misalignment of known width*
- Look at the distributions of "peak estimators"
- The Distribution of the Medians
 - of Residuals has RMS very close to the width of input misalignment
- Check also statistical precision of the method by splitting data intc independent samples and compare the DMRs of the two samples



 RMS of the Distribution of the Median of Residuals (DMR) measures the remaining random misalignment in the detector
 N.B. it is not sensitive to systematic misalignment

03/02/10

DMR distributions for CRAFT alignment

◆ DMR are shown as a function of the strips with radial topology pixels (endcap) (endcap) local coordinates x' and y' for all subdets number of modules / 2 μ m DATA combined meth. DMR of Pixel Barrel x' coord. mean= -0.1 μm 300 RMS=2.6 μm ----annun A, annun A, annun A, DATA non-aligned mean= -78.1 μm RMS=328.7 µm MC ideal 200 mean= 0.1 µm RMS=2.1um MC combined meth. aliminin . mean= 0.0 μm **CMS 2008** RMS=2.1 µm strips with rectangular topology(barrel) pixels(barrel) 100 Non global local combicombi-Ideal aligned ned MC ned -50 0 PXB (x') 328,7 3 7,5 2,6 2,1 $\mu_{1/2}(u'_{\text{pred}}-u'_{\text{hit}})$ [μ m] ШЦ 300 PXB (y') 6,9 274,113,4 4 2,5 DATA combined meth. mean= -0.3 µm DMR of Pixel Barrel number of modules / 2 PXE (x') 389 23,5 26.5 13.1 12 RMS=4.0 μm **DATA** non-aligned PXE (y') 385.8 20 23,9 13.9 11.6 mean= 18.9 μm ' coord. RMS=274.1 um 200 TIB 712,2 4.9 7.1 2,5 1,2 MC ideal mean= -0.1 µm RMS=2.4 µm TOB 168.6 5.7 3,5 2,6 1.4 MC combined meth. mean= -0.1 µm TID 295 7 6,9 3,3 2,4 **CMS 2008** RMS=2.5 µm TEC 216,9 25 10,4 7.4 4.6 100h ♦ Module positions w.r.t to cosmic ray trajectory measured with a precision of 3-4 µm in the **barrel** and of **3-14 \mum in the endcap** (along r ϕ) 0 -50 $\mu_{1/2}(v'_{pred}-v'_{hit})$ [µm]

03/02/10

Marco Musich - 2nd Year Ph. D. Seminar

20/37

MC

2,1

2,4

9.4

9.3

1,1

1,1

1,6

2,5

Alignment Position Errors

- The alignment position error (APE) characterizes the measurement uncertainty of each detector due to misalignment effects.
- The APE is combined with the spatial (intrinsic) resolution of the detector giving the total error of hit positioning on the silicon modules:

$$\sigma_{\textit{TOT}}^{\textit{HIT}} \!=\! \sigma_{\textit{intr}}^{\textit{HIT}} \!\oplus\! \textit{APE}(\textit{DET})$$

The APE affects the search window of pattern recognition in track finding





Strategy to determine the APEs

- During CRAFT I have been responsibile for the determination and the validation of tha Alignment Position Errors
- ♦ Strategy for the determination of the APE:
 - They need to be module-dependent since alignment with cosmic rays is better in some regions than others (due to higher illumination in the top and bottom quandrants of the tracker).



- So find a region of the detector well aligned (top quadrant) and estimate the remaining misalignment (after the alignment procedure) from data
- The APE value has to match the value of the remaining random misalignment
- Finally estimate the APEs in the rest of the Tracker (outside the fiducial volume) by taking into account the different illumination of cosmic rays

Selection of control region

03/02/10



Trends of residuals

Once selected the control region to estimate the remaining misalignment one has still to disentangle the MS and intrinsic contributions to the track residuals:

$$\sigma = \sqrt{\sum_{i} \sigma_{i}^{2}} = \sigma_{intr} \oplus \sigma_{mis} \oplus \sigma_{MS}$$

 \diamond where the MS contribution goes like 1/p

$$\sigma_{MS} \simeq \delta x = l \cdot \delta \theta \simeq \frac{l}{p} \cdot \sqrt{\frac{t}{X_0}}$$

24/37

Track residuals saturate at some threshold, estimated in data to be ~20 GeV for which the MS is dominated by the detector pitch and the misalignment effects





Determination of residual misalignment

The APE are estimated introducing a random (gaussian smeared) misalignment in the CRAFT MC simulation, to match the DMRs and trends of residuals in CRAFT DATA (*in the control region and with the selected track sample*).



Marco Musich - 2nd Year Ph. D. Seminar

25/37

Determination of APE

♦ The APE has to be specified in 3 directions (u,v,w)

♦ Choose to neglect correlations between directions \Rightarrow use spheres

♦ The radius of the sphere is defined as:

$$R_{APE} = R_0 \cdot \sqrt{\frac{N_0}{N_{hits}}}$$

$$P_0 = RMS[\mu_{1/2}]$$
 • (1) In TID/TEC (Endcaps)
In PXB/PXE (Pixel)
 $_0 = k \left(\delta \, u \oplus \frac{L}{4} \, \delta \, \gamma \right)$ • (2) In TIB/TOB (Barrel)



03/02/10

- (1) In the endcaps and in the pixel detectors use the width of the DMR distribution measured in DATA
- (2) In the barrel detectors use the misalignment parameters δu,(δv for DS), δγ obtained as described before to match the DATA distribution (*in the sensitive coordinate*) with the misaligned simulation
- R_0 asymptotic value reached for the well aligned modules with $N_{hits} > N_0$. The APE radius is scaled according to the statistics available
- k and N₀ are parameters tuned on data

APE Tuning and validation with cosmic data

The k-factor is tuned in order to have the pull of residuals $(r/\sigma) \sim 1$



Define the normalised residuals:

$$\frac{r_{i}}{\sigma_{i}} = \frac{u_{i}^{hit} - u_{i}^{fit}}{\sigma_{i}} = \frac{m_{ij} - f_{ij}(\boldsymbol{p}, \boldsymbol{q})}{\sigma_{i}}$$
$$\sigma_{i} = \sigma_{i}(\boldsymbol{APE}(\boldsymbol{k}))$$

The k factor is tuned with an iterative procedure until the contribution to the hit error determines the pull of residual to be ~1

 After the tuning of the APE, the peak of the χ² is shifted to 1. The prob(χ²) flattens, and the distribution of the RMS (DRR)of normalized residuals goes to 1



27/37

03/02/10

APE Validation



The Alignment Position Errors so determined were used for the reconstruction of the first LHC pp collision data taken by the CMS detector in November 2009

03/02/10

APE Performance







Present and future activity





03/02/10

23.11.09 First Tracks with LHC Beams



♦ On 23rd of November 2009

the LHC starts delivering collisions and the CMS detector to collect collision tracks

First real occasion to test the tracker alignment with beam data..

 and to apply our knowledge of the tracker to physics studies



Primary Vertex Validation



Idea: use primary vertices residuals to test alignment of the pixel detector

- Select a sample of "good" collision tracks
- Extract from those a probe track
- Fit the **primary vertex** with the remaining ones
- Evaluate the unbiased track residual in the transverse (r-φ) and longitudinal (x=0) planes
- Iterate over all good tracks v

The d_{xy} residual in the defined as the distance in the transverse plane between the refitted vertex and the perigee of the track:

$$d_{xy} = [(\vec{b} - \vec{v}) \times \hat{p}_T] \cdot \hat{z}$$

$$d_{xy} = \frac{-(v_x - b_x)p_y + (v_y - b_y)p_x}{\sqrt{p_x^2 + p_y^2}}$$

$$\vec{b} = (b_x, b_y, b_z)$$

fitted PV
$$\vec{v} = (v_x, v_y, v_z)$$

$$\vec{v}_0 = (0, 0, 0)$$

beamline

track

Results on Data (900 GeV Minimum Bias)

Run the validation on collision data: should be able to spot systematic misalignments remained uncorrected after alignment with cosmic data



03/02/10

Comparison with MC

- Try to quantify the z offset between halfshells by using a misaligned MC (apply an $\mathbf{\bullet}$ offset in the z direction)
- Use two scenarios (*strips are kept fixed*):
 - **\Rightarrow z offset \varepsilon=50 \mum (displace x>0)**
 - \Rightarrow z offset ϵ =60 μ m (displace x>0)



<qz> (μm) (μm)





10

The future: $pp \rightarrow J/\psi + X \rightarrow \mu^+\mu^-$ cross-section

- ♦ J/ψ production mechanism in hadronic collisions is not yet completely understood \Rightarrow interesting process to study
- ♦ It has a relatively large cross-section ⇒ one of the first analysis in CMS involving muons in the final state
- Muon resonances important to calibrate the detector in early phases

 $\sigma(pp \rightarrow J/\psi + X) \times B.R.(J/\psi \rightarrow \mu^{+}\mu^{-}) =$

E

Events/0.005 (

 10^{2}

10

-0.2

-0.1

Promot J/w

QCD background

• The production cross-section of J/Ψ 's in the muon channel can be estimated as:

CMS Preliminary

The N^{fit} parameter comes from a simultaneous fit to the dimuon mass shape and the apparent measured lifetime.

 $\int L dt \cdot A \cdot \lambda_{triager}^{corr} \cdot \lambda_{reco}^{corr}$

◆ This is done in order to disentangle the prompt dimuon from the ones coming from open bottom decay chains (b→J/ψ)

♦ the apparent lifetime is proportional to l_{xy} ⇒ highly sensitive to tracker alignment

2.8

2.9

3

3.1

3.2

3.3

M(μ+μ) (GeV/c2)

3.4

Events/10 MeV/c²

10²

Previous MC analysis

Marco Musich - 2nd Year Ph. D. Seminar

0.1

0.2

Ixv (cm)

0.3

0

combined data

non-J/w background

total fit prompt J/w

b→J/w

35/37



Conclusions

- Challenging demands of CMS for the momentum measurement led to design a complex inner tracking system.
- Unknown position of the 15k modules is the main source of systematic error for physics.
- ◆ Tracker alignment has been carried out using cosmic tracks ⇒ highly non-trivial task that needs frequent and complex validations
- ◆ Alignment errors have high impact in tracking and vertexing performance ⇒ a *data-driven method has been used to estimate them on cosmic data*
- Started to look to impact of alignment in collision data

TO DO:

- Finalize and commission alignment validation on collision data
- ♦ Start to look into the di-muon physics analysis



Thanks for the attention!



Bibliography

Publications:

- 1) Title: *The CMS experiment at the CERN LHC* Author: R. Adolphi et al. date: 2008 journal: JINST 3:S08004 (2008)
- 2) Title: Search strategy for the Higgs boson in the ZZ(*) channel with the CMS experiment Author: S. Baffioni [...] M. Musich, et al. Date: 2008 Journal: CMS Analysis Note 2008/050
- 3) Title: Projected exclusion limits on the SM Higgs boson cross sections obtained by combining the H to WW* and ZZ* decay channels Author: S. Baffioni [...] M. Musich, et al. Date: 2009 Journal: CMS Analysis Note 2009/020
- 4) Title: Alignment of the CMS Silicon Tracker during Commissioning with Cosmic Rays Author: The CMS Collaboration Date: 2009 Journal: arXiv:0910.2505 (Accepted by JINST)
- 5) Title: First Alignment of the CMS Tracker and Implications for the First Collision Data Author: M. Musich Date: 2009
 Journal: CMS Conference Report 2009-317
 (to be published in "Proceedings of the XXIX Physics in Collision International Symposium")

Talks / Posters

Presentations at Conferences / International Schools

 Talk: Allineamento del Tracker di CMS con raggi cosmici XCIV Congresso Nazionale Societa Italiana di Fisica, Genova (ITALY) 22nd - 26th September 2008

Poster: The CMS Silicon Strip Tracker XVIII International Conference on Particle And Nuclei (PANIC08) Eilat (ISRAEL) - 9 - 14th November 2008

Poster: The CMS Tracker Alignment The 2009 European School of High Energy Physics (EPSHEP09) Bautzen (GERMANY),14th - 27th June 2009

 Talk/Poster: First Alignment of the CMS Tracker and its Implications for Collision Data
 XXIX International Symposium on Physics in Collision (PIC09)
 Kobe (JAPAN) - August 30th - September 2, 2009



03/02/10



CMS Experiment and its Tracker



Double Sided (2 modules mounted back-to-back tilted by 100 mrad)

41/37

Track Parametrization in CMS



Why Tracker Alignment is needed?

The trajectory of a particle of charge z and transverse momentum p_{τ} in a magnetic field of intensity **B** is an helix, these physical quantities are correlated:

$$p_T[GeV] = 0.3 \cdot z \cdot B[T] \cdot R[m] = \frac{0.3 z \cdot B}{k} \qquad k = 1/R$$

The measured distribution is rather *R* (or *k* which is normally distrubuted). The uncertainty on track curvature *k* depends on two contributions:

$$\delta k = \sqrt{\delta k_{res}^2} + \delta k_{ms}^2$$

Parametrizing in terms of transverse momentum:



Alignment formalism

- ◆ The hit position in local coordinates of the module is $\mathbf{p} = (u, v, w)$ and $\mathbf{r} = (x, y, z)$ w.r.t the global reference frame of CMS.
- The two sets of coordinates are related via a roto-translation:

$$\boldsymbol{r} = \boldsymbol{R}^T \boldsymbol{p} + \boldsymbol{r_0}$$

The alignment procedure determines corrections to the original transformation via an additional rototranslation:

$$r = R^T \Delta R(p + \Delta p) + r_0$$

The alignment parameters are $\Delta p = (\Delta u, \Delta v, \Delta w)$ which parametrize translations, while the angles **α**,**β** and **γ** appearing in ΔR parametrize the rotation



Final goal of alignment:

- Determine for each of the O(20k) detunits the 6 parameters
 (Δu,Δv,Δw,α,β,γ) 3 translations and 3 rotations w.r.t the nominal geometry
 - Determine for each of the modules the statistical error associated to the aligned postion (APE)

Inputs to alignment

Survey measurements:

- during assembly of the Tracker using Coordinate Measure Machine (CMM): precision of the sensor on carbon fiber 10 μm
- Photogrammetry: precision of 100 μm

Track-based alignment:

- different kind of tracks (cosmic ray µ, µ from and W decay, etc..)
- final expected precision on the module position of less than 10 µm along their sensitive coordinate

Laser Alignment System (LAS):

- continuous position measurement of large scale structures using laser beams
- TEC discs position with spatial precision of 100 μm and 100 mrad
- ♦ relative alignment of TIB/TOB vs TEC





45/37



How track-based alignment is achieved?

- ♦ When a particle crosses the tracker volume, releases an amount of energy on the silicon layers ⇒ a charge deposit is detected
- Clusterize the neighboring strips or pixels sharing the deposited charge
- Reconstruct a hit by taking the barycenter of charge of the cluster



How track-based alignment is achieved?

Define a Global Track χ^2 (objective) function:

$$\chi^{2}(\boldsymbol{p},\boldsymbol{q}) = \sum_{j=1}^{\text{tracks}} \sum_{i=1}^{\text{hits}} \boldsymbol{r}_{ij}^{T}(\boldsymbol{p},\boldsymbol{q}_{j}) \boldsymbol{V}_{ij}^{-1} \boldsymbol{r}_{ij}(\boldsymbol{p},\boldsymbol{q}_{j})$$

- V_{ij} = covariance matrix from fit
 r_{ij}(p,q_j) = track-to hit residual with p = alignment parameters (module position/orientation)

 $\frac{d\chi^2}{d\rho_m} = 0$

- ♦ to achieve alignment and hence minimize the residuals. minimize the global χ^2 function w.r.t the alignment parameters
- ♦ The optimization problem is solved assuming that the objective function can be linearized in terms of the alignment corrections $\delta p_m = p_m - p_{m0}$

$$\chi^{2}(\boldsymbol{p}_{m}) = \chi^{2}(\boldsymbol{p}_{m0}) - \frac{d \chi^{2}}{d \boldsymbol{p}_{m}} \delta \boldsymbol{p}_{m} \qquad \delta \boldsymbol{p}_{m} = \left(\frac{d^{2} \chi^{2}}{d \boldsymbol{p}_{m}^{2}}\Big|_{\boldsymbol{p}_{m0}}\right)^{-1} \frac{d \chi^{2}(\boldsymbol{p}_{m0})}{d \boldsymbol{p}_{m}}$$

linearization of x² around starting
alignment parameter p_{m0}
Large 6N x 6N matrix to be inverted

Track Based Alignment with cosmic rays



 minimizing the χ² with millions of tracks requires sophisticated algorithms, two complementary methods were used:



CRAFT Muon Spectra



Systematic misalignment

| | ΔR | Δφ | ΔΖ |
|-----------|------------------|-----------------------|------------------|
| \square | Radial Expansion | Curl | Telescope |
| | (distance scale) | (Charge asymmetry) | (CM boost) |
| R | | 2 | < |
| φ | Elliptical | Clamshell | Skew |
| | (vertex mass) | (vertex displacement) | (Z momentum) |
| z | Bowing | Twist | Z expansion |
| | (total momentum) | (vertexing) | (distance scale) |

Strategy

- Tuning of remaining misalignment (Tracker_Geometry_v3_offline as reference for DATA)
 - ♦ selecting tracks / hits where MS and extrapolation are small (p> 20GeV)



- Track/Hits quality cuts applied
 - Standard Validation cuts

- Fiducial (pixel-like) volume cuts
 - $(x_{DCA}^2 + y_{DCA}^2)^{1/2} < 11 \text{ cm}$
 - |z_{DCA}| < 60 cm</p>
- Hit pattern selection
 - 14 split hits (10 SS + 4 DS)
 - Test-Beam like topology:
 - TOB L6
 - TOB L5

Validation Methods



- Overlapping modules of same layer might have hits from same track.
- Difference of their residuals (overlap residuals): sensitive to relative misalignment within one layer. Offsets indicate shifts.
- Modules of TIB show significative improvement (RMS decreases)
- Same order of magnitude achieved in TPB and TOB

• Measure for remaining misalignment:

- Module-wise informations: Distribution of Median of Residuals (DMR)
- Spread gives the lower limit for misalignment (given sufficient statistics)
- Sensitive to the *incoherent displacements* of the modules w.r.t each other in the *sensitive coordinate*
- Used to estimate misalignment corrections to intrinsic hit errors



52/37

03/02/10

Implications for tracking

- Track parameter resolutions depend on alignment
- ◆ Idea: split the cosmic tracks along impact parameter and compare the five track parameters $X=(p_T, d_{xy}, d_z, \phi_{tk}, \theta_{tk})$ of top and bottom halves independently reconstructed
- Define residuals as:

 $r = \frac{X_{top} - X_{bottom}}{\sqrt{2}}$

Alignment has a dramatic impact on the resolutions



• $1/p_{\tau}$ track curvature resolution as good• d_{xy} transverse impact parameter as in simulation resolution already good ($\sigma \simeq 30 \ \mu m$)

03/02/10

Marco Musich - 2nd Year Ph. D. Seminar

original Track

refitted

upper leg

Implications for early physics

B-tagging relies completely on tracking performance:



Needs clear separation between *primary* and *secondary vertices*

- all b-tag algorithm are sensitive to alignment
- Several misalignment scenarios considered
- b-tag efficiency improves with accumulation of statistics for alignment





- Further MC studies check prospects of finding "new" physics, e. g. in dimuon resonances.
- Detectability and resonance width depend on both tracking systems.
- Alignment affects heavily high p_T muon resolution

03/02/10

Results on misaligned MC

