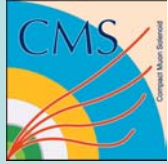




Study of angular variables for rejection of irreducible ZZ EW Background

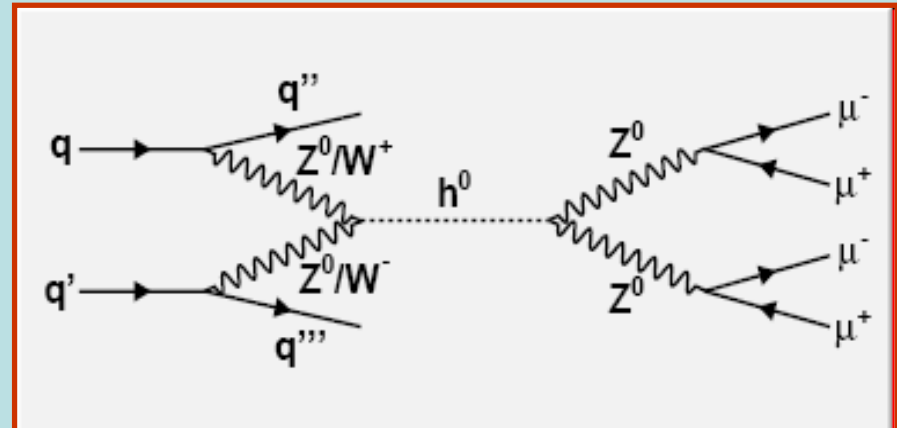
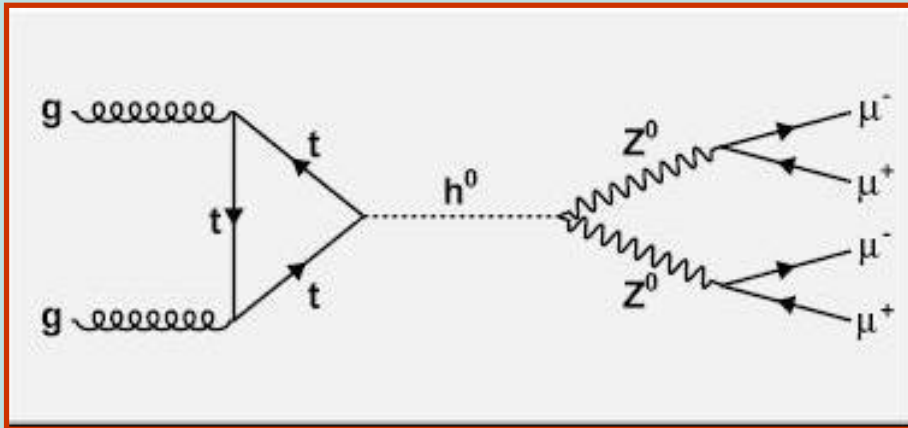
Marco Musich



Signal $H \rightarrow ZZ \rightarrow 4 \mu$

$gg \rightarrow h \rightarrow ZZ \rightarrow 4\mu$

$VV \rightarrow h \rightarrow ZZ \rightarrow 4\mu$



$\sigma = 0.43 \text{ fb } (m_H = 175 \text{ GeV})$

$\sigma = 0.75 \text{ fb } (m_H = 180 \text{ GeV})$

$\sigma = 1.82 \text{ fb } (m_H = 185 \text{ GeV})$

$\sigma = 2.64 \text{ fb } (m_H = 190 \text{ GeV})$

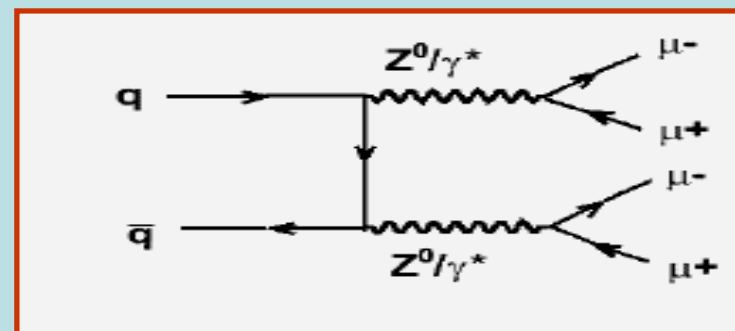
The considered cross-sections come from *Pythia* output and take in account the CKIN cuts in the range of allowed mass values of primary resonances

Main Backgrounds

- $ZZ(\gamma\gamma^*) \rightarrow 4\mu$

$$\sigma = 17.8 \text{ fb}$$

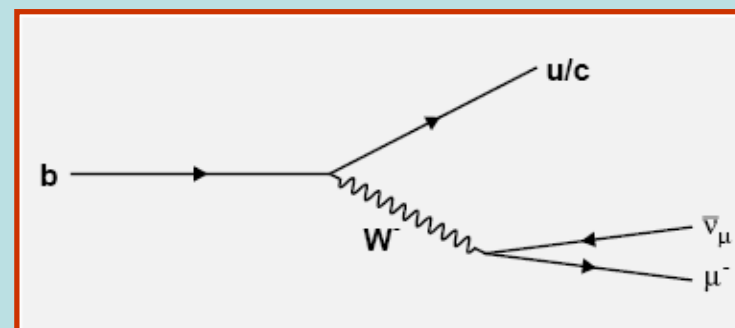
This will be our irreducible background



- $Zbb \rightarrow 4\mu$

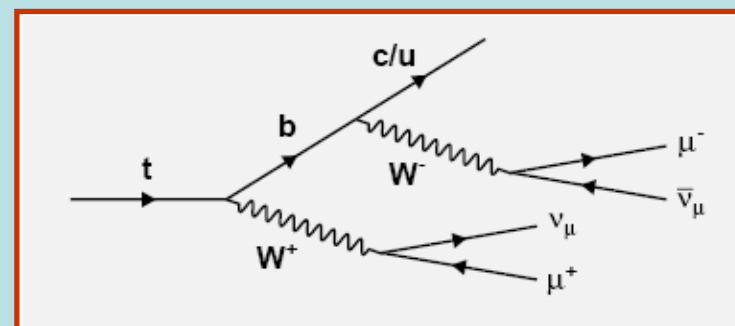
$$\sigma = 2.6 \cdot 10^4 \text{ fb}$$

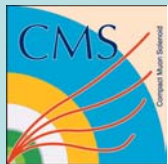
Leading
Order
Feynman
Diagrams



- $tt \rightarrow 4\mu$

$$\sigma = 5.69 \cdot 10^3 \text{ fb}$$





Event Generation with Pythia

Event data from MC are skimmed through a Filter Module.

To be accepted the event must have in the final state:

at least 4 mu, 2 positive and 2 negative, with $P_t > 3 \text{ GeV}$, $|\eta| < 2.5$.

After the filter the number $N = N_{\text{gen}} \cdot \epsilon_{\text{filt}}$ of events for each sample is:

Signal processes

- $gg \rightarrow h \rightarrow ZZ \rightarrow 4\mu$
- $VV \rightarrow h \rightarrow ZZ \rightarrow 4\mu$

$$N_{\text{gen}} = 1.0 \cdot 10^5 \quad N = 0.61 \cdot 10^5$$

Background processes

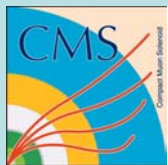
- $ZZ \rightarrow 4\mu$
- $Zbb \rightarrow 4\mu$
- $tt \rightarrow 4\mu$

$$N_{\text{gen}} = 1.0 \cdot 10^5 \quad N = 0.41 \cdot 10^5$$

$$N_{\text{gen}} = 2.0 \cdot 10^5 \quad N = 650$$

$$N_{\text{gen}} = 5.0 \cdot 10^5 \quad N = 10^4$$

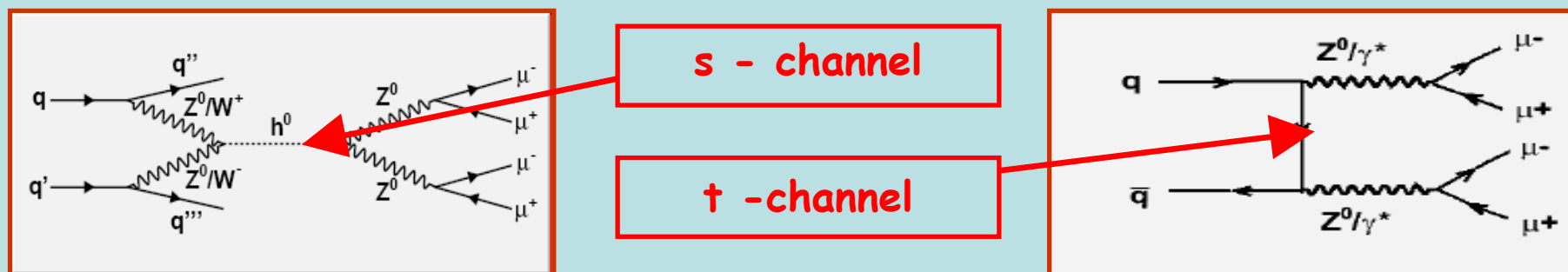
The number of event has been re-weighted in order to get the same integrated luminosity for all considered samples

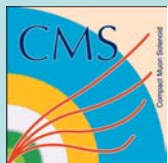


Irreducible Background

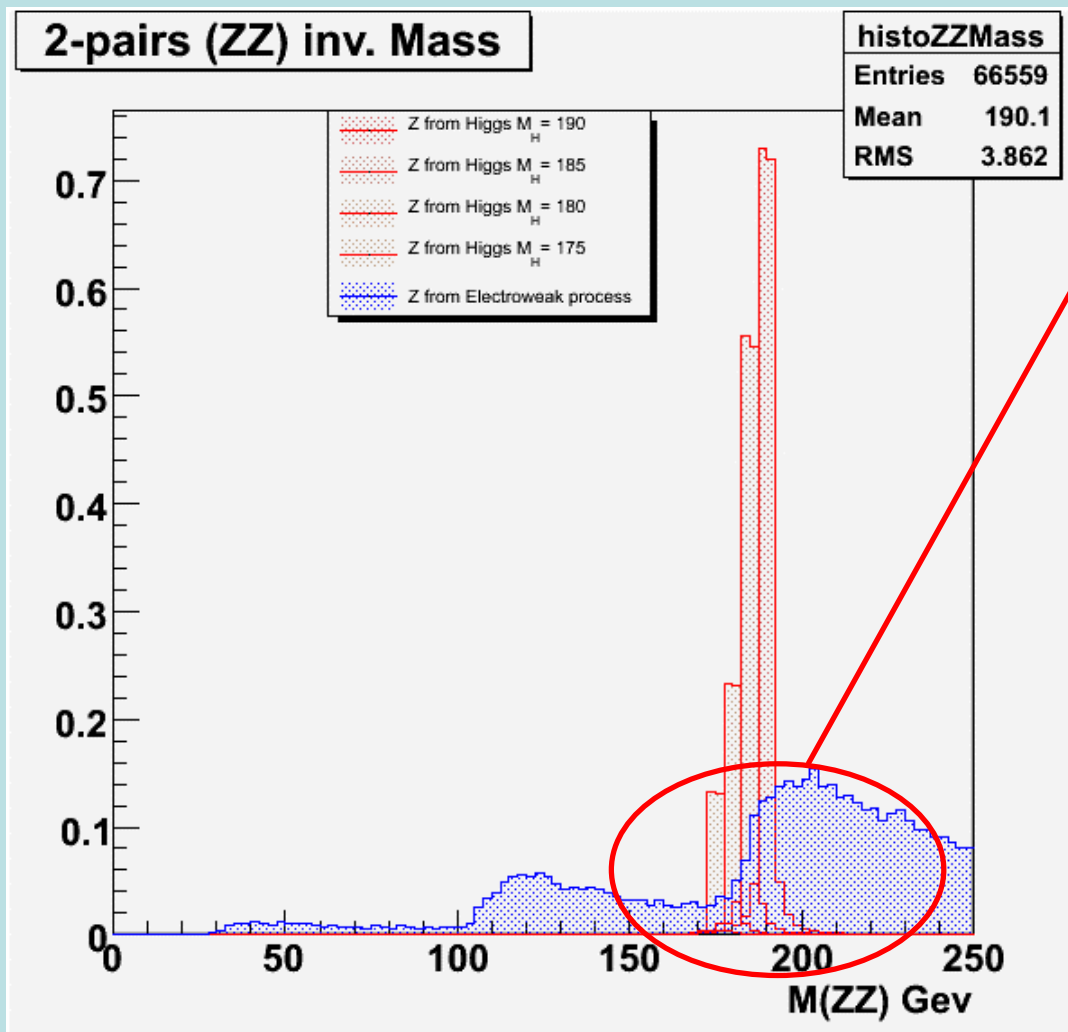
Since Zbb and tt channels could be rejected through adequate invariant mass cuts, from here onwards we'll focus on the irreducible background (i.e. ZZ EW).

ZZ Electroweak process evolves in a **t-channel**, while Higgs decay is in an **s-channel**, therefore we expect that an angular variable would help rejecting this background.





Invariant mass distributions



Electroweak ZZ Background peaks in the region around 200 GeV

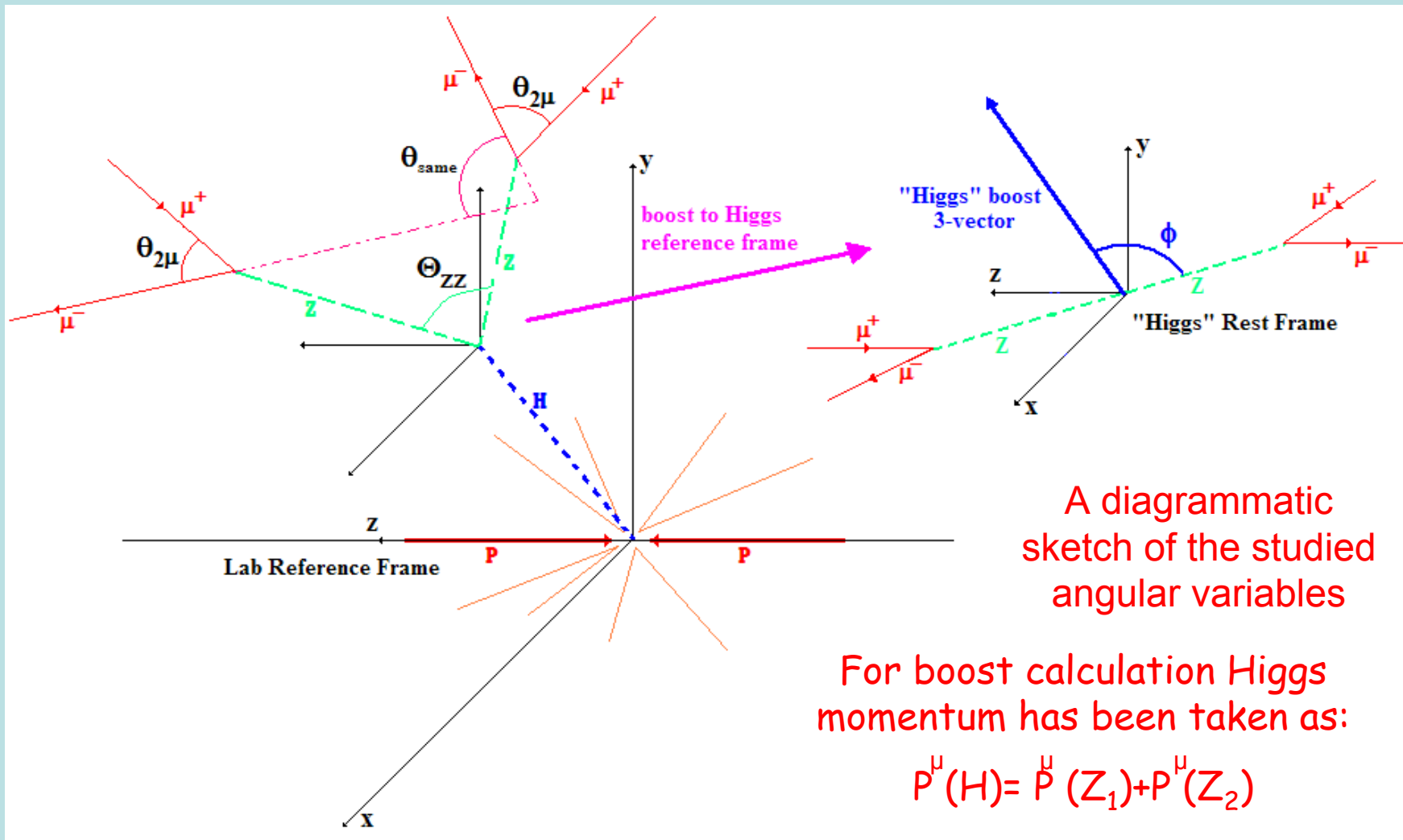
If $M_{\text{higgs}} > 190 \text{ GeV}$ signal is large enough to let $M(\text{ZZ})$ discriminate signal from background

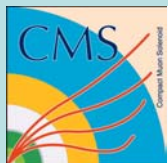
It could be convenient to study an angular variable alternative to $M(\text{ZZ})$ for $M_{\text{higgs}} < 190 \text{ GeV}$

Plots in the following for $M(H)=190 \text{ GeV}$

It could be interesting a study for $M(H)=180 \text{ GeV}$

Angular Variables I

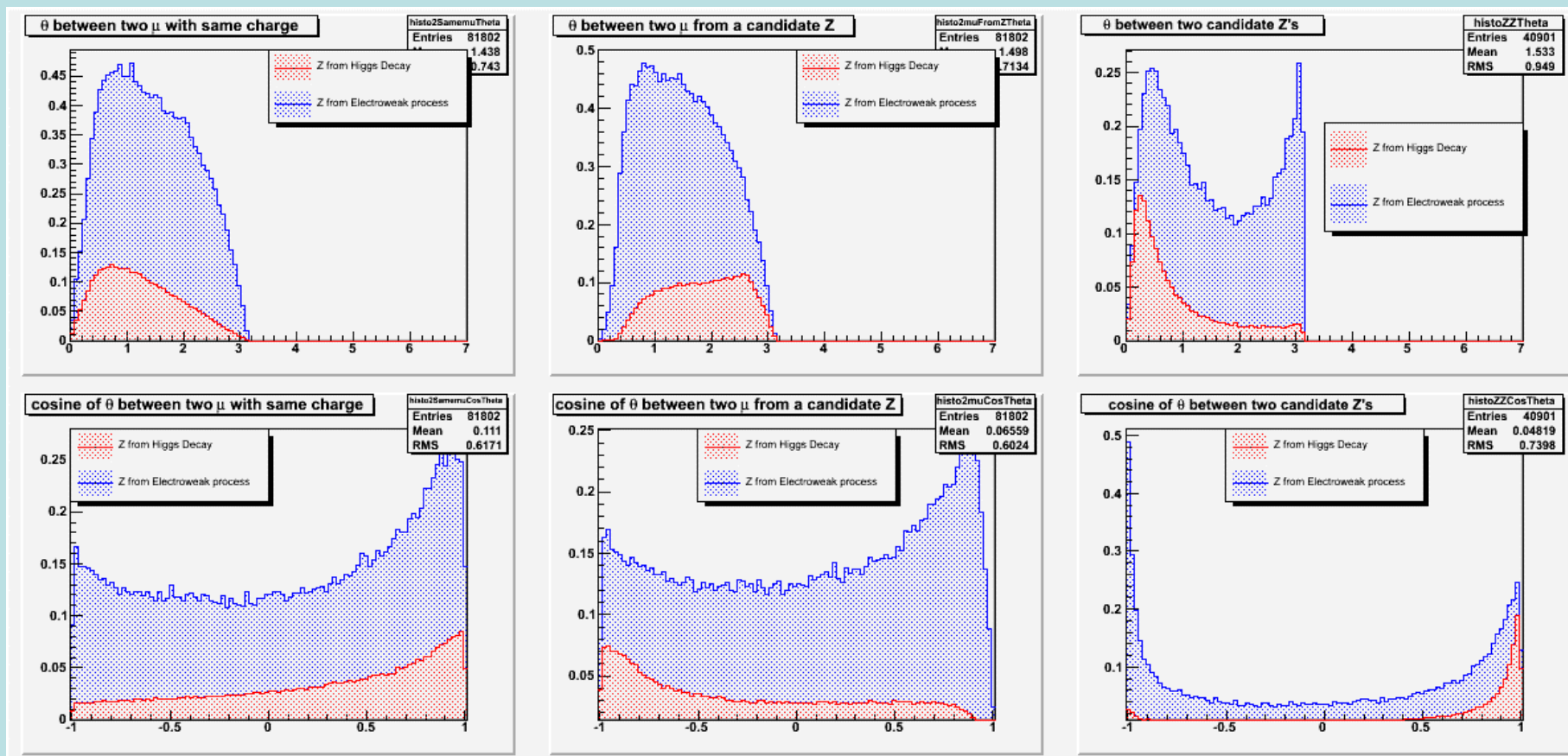


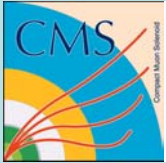


Angular Variables (Lab Frame)

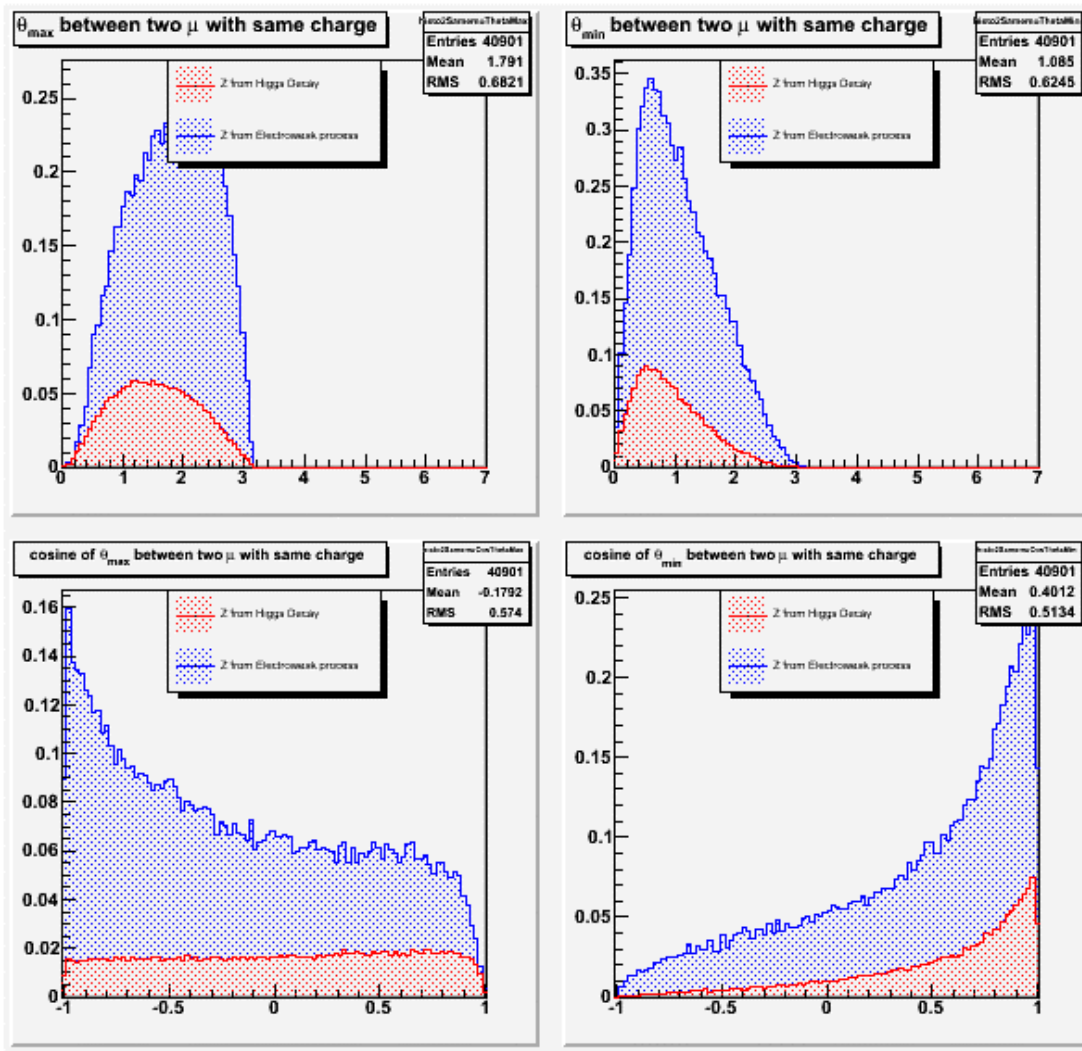
Angular distributions for Higgs decay and ZZ Electroweak Background.

Z are reconstructed from μ , NO CUTS in invariant mass are required.



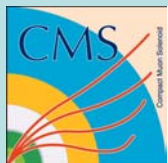


Angular Variables (Lab Frame)

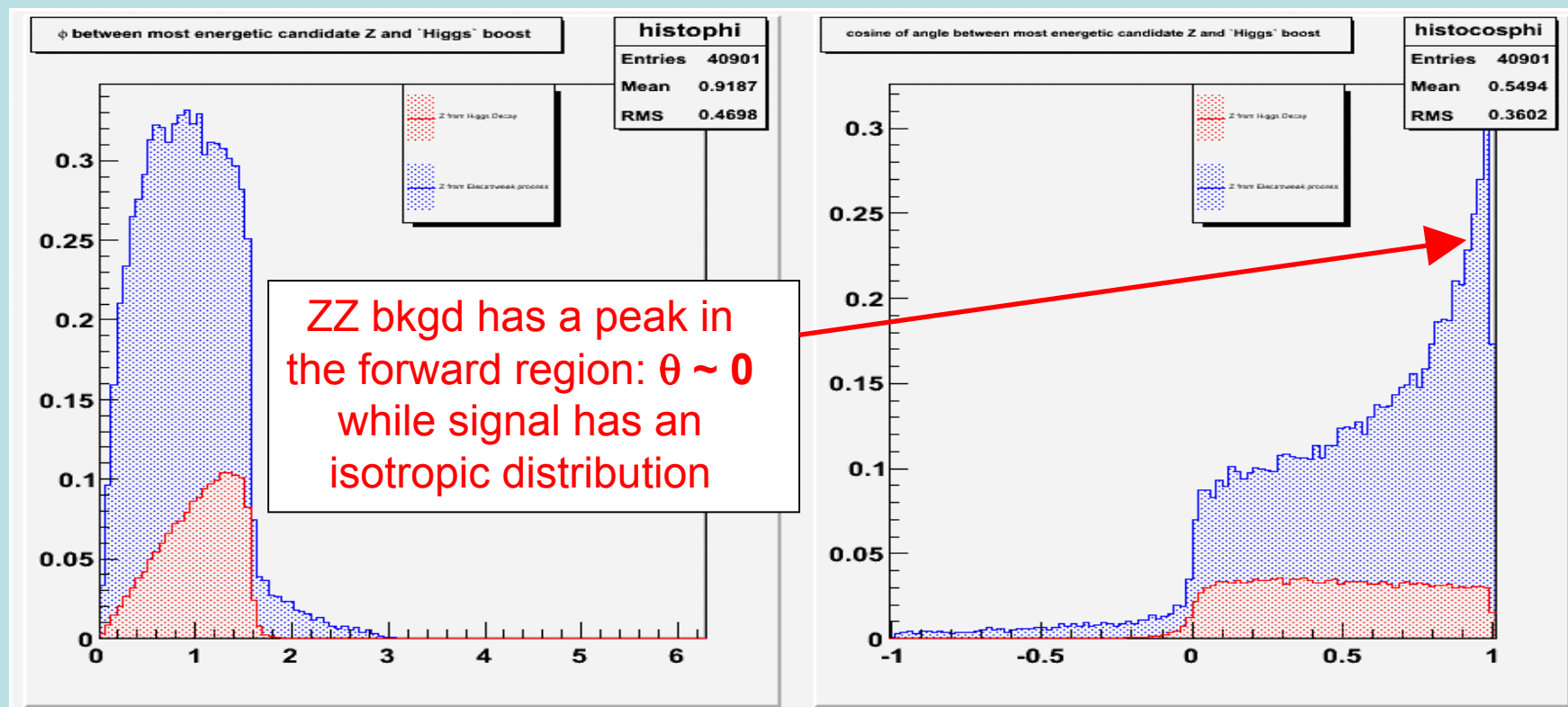


Plot of angle between two muons with same charge. To have the same number of events of the previous plots we have alternatively selected the smaller and the bigger angle between muons' momenta.

After this splitting the distribution of the larger angle seems to discriminate better than that for the smaller angle

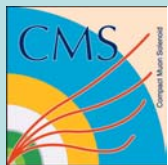


Angular Variable (Higgs Frame)



The plot refers to the angle between momentum of most energetic Z taken in the "Higgs" rest frame and the direction of the "Higgs" boost.

Higgs or "pseudo-Higgs" 4-momentum is calculated by summing Zs' 4-momenta.



Variables Definition

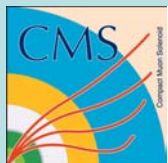
In order to make the analysis more quantitative we plot, for the four considered angular variables, some statistical observables. The variable on which we are cutting is the cosine of considered angles.

$$\varepsilon(\cos\phi_{cut}) = \frac{\int_{\cos\phi_{cut}}^1 \frac{dS}{dx} dx}{\int_{-1}^1 \frac{dS}{dx} dx}$$

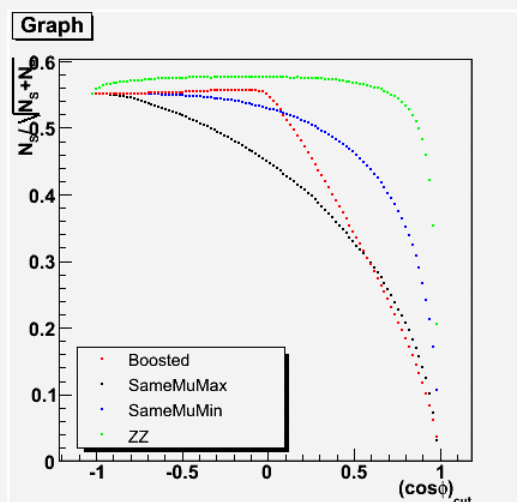
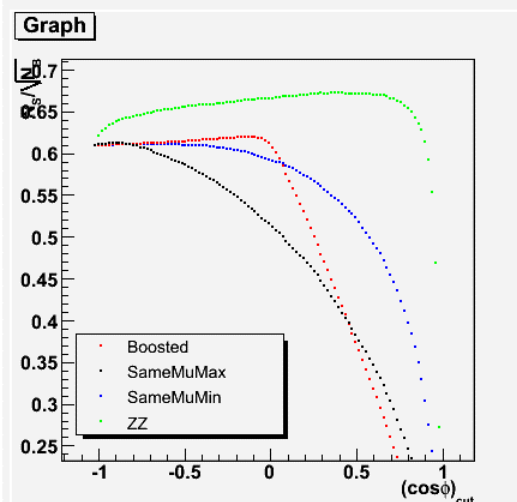
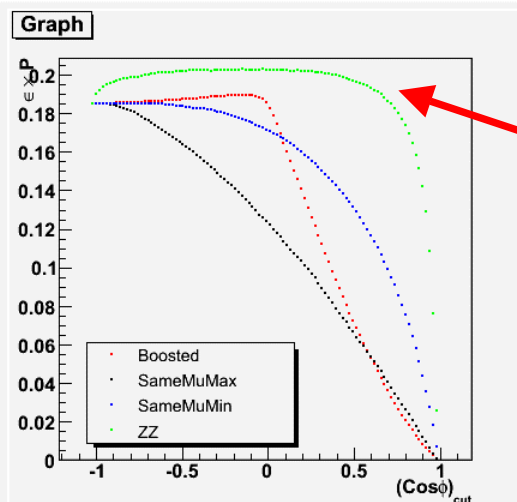
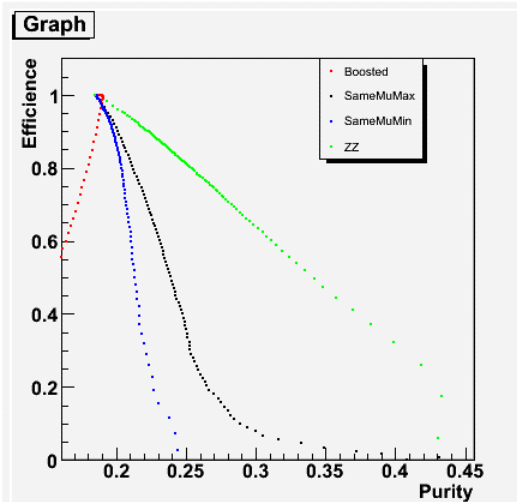
$$\frac{N_S}{\sqrt{N_B}} = \frac{\int_{\cos\phi_{cut}}^1 \frac{dS}{dx} dx}{\sqrt{\sum_k \int_{\cos\phi_{cut}}^1 \frac{dB_k}{dx} dx}}$$

$$p(\cos\phi_{cut}) = \frac{\int_{\cos\phi_{cut}}^1 \frac{dS}{dx} dx}{\int_{\cos\phi_{cut}}^1 \frac{dS}{dx} dx + \sum_k \int_{\cos\phi_{cut}}^1 \frac{dB_k}{dx} dx}$$

$$\frac{N_S}{\sqrt{N_S + N_b}} = \frac{\int_{\cos\phi_{cut}}^1 \frac{dS}{dx} dx}{\sqrt{\int_{\cos\phi_{cut}}^1 \left(\sum_k \frac{dB_k}{dx} + \frac{dS}{dx} \right) dx}}$$



Statistical Variables

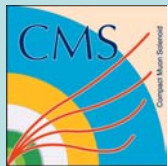


• The variable which discriminates better is the one having the highest distribution curve for Efficiency times Purity vs the cut.

• Best cut position is determined by taking the one corresponding to global maximum of the curve.

• So, angle between 2 Z in the lab reference frame maximizes the product Efficiency times Purity in function of the cut.

• *The variable in the "Higgs" reference frame is the second best choice.*

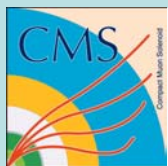


First conclusions

- We have studied variables alternative to invariant mass to reject irreducible ZZ electroweak background in the range of Higgs mass $170 \text{ GeV} < M(H) < 190 \text{ GeV}$.
- We considered four angular variables since we expected differences in angular distributions of the two processes' products.
- In principle one would have said the "boosted" variable should better discriminate between a t and an s-channel process, because of very forward events in ZZ EW distribution.
- Theta between two Z is the best choice and not the boosted variable.

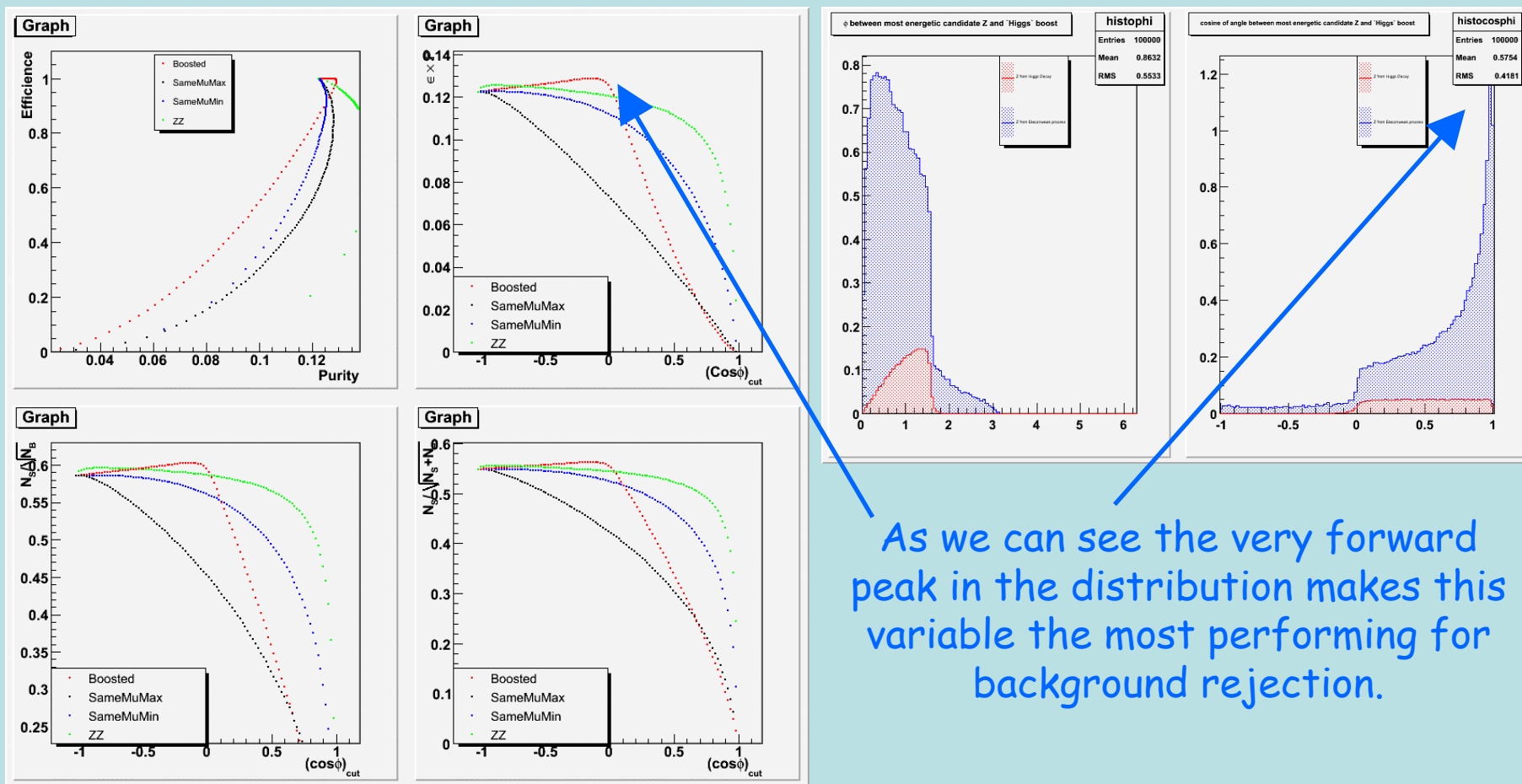
WHY?

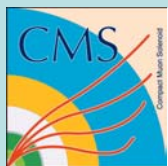
Filter in η skips events with very forward and backward muons.



Unfiltered Events

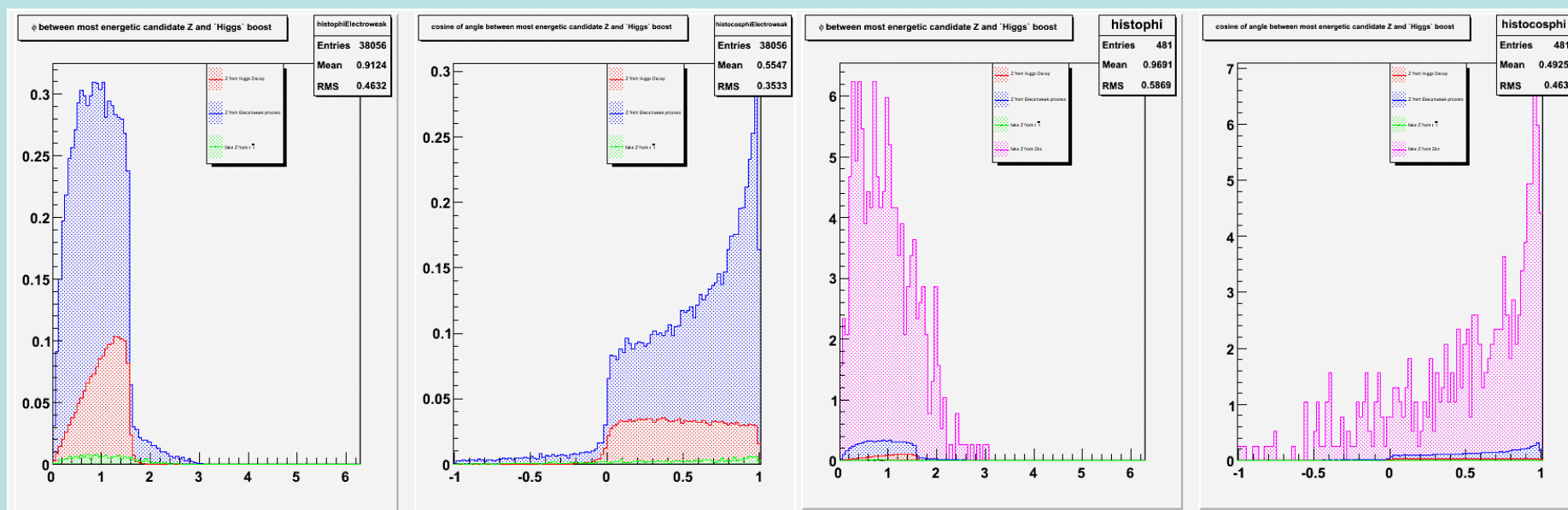
For comparison we show the distribution of the boosted "variable" and the plot of statistical variables for unfiltered events





Reducible Backgrounds?

Requiring a cut on invariant mass of the best candidate Z from muons ($\min(|M(\mu^+\mu^-)| - M(Z))$) one can control $t\bar{t}$ background which has a cross-section 10^3 times greater than signal, but not $Zb\bar{b}$, which has a cross-section 10^4 times the Higgs' one :



With $t\bar{t}$ background

With $Zb\bar{b}$ background

So, before taking in account an angular variable to reject $Zb\bar{b}$ background one should study a more refined kinematic cut to reject the bulk of those events